**Kepler detection of a new extreme planetary system orbiting the subdwarf-B pulsator KIC 10001893**

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**ABSTRACT**

KIC 10001893 is one out of 19 subdwarf-B (sdB) pulsators observed by the *Kepler* spacecraft in its primary mission. In addition to tens of pulsation frequencies in the $g$-mode domain, its Fourier spectrum shows three weak peaks at very low frequencies, which is too low to be explained in terms of g modes. The most convincing explanation is that we are seeing the orbital modulation of three Earth-size planets (or planetary remnants) in very tight orbits, which are illuminated by the strong stellar radiation. The orbital periods are $P_1 = 5.273, P_2 = 7.807$, and $P_3 = 19.48$ h, and the period ratios $P_2/P_1 = 1.481$ and $P_3/P_1 = 2.495$ are very close to the 3:2 and 5:2 resonances, respectively. One of the main pulsation modes of the star at $210.68 \mu$Hz corresponds to the third harmonic of the orbital frequency of the inner planet, suggesting that we see, for the first time in an sdB star, $g$-mode pulsations tidally excited by a planetary companion. The extreme planetary system that emerges from the *Kepler* data is very similar to the recent discovery of two Earth-size planets orbiting the sdB pulsator KIC 05807616 (Charpinet et al. 2011a).

**Key words.** planetary systems – stars: horizontal-branch – stars: oscillations – asteroseismology – techniques: photometric – techniques: radial velocities

1. Introduction

What happens to the planets, in particular to the inner planets, at the end of stellar evolution is largely unknown. After the main sequence, dramatic changes in the planetary orbits and even the complete evaporation of the inner planets can occur, following the red giant branch (RGB) and asymptotic giant branch (AGB) expansion of the host star (Villaver & Livio 2007, 2009). During the RGB or AGB expansion, the opposite effects of stellar mass loss and tidal interactions may determine a gap in the final distribution of orbital distances and periods (Nordhaus & Spiegel 2013). The first step in studying the effects of the RGB expansion is to search for planetary systems on the horizontal branch (HB). The star studied in this article is a subdwarf B (sdB), located on the extreme horizontal branch (EHB).

The sdB stars are a homogeneous class of very hot objects with a mass distribution peaked near 0.47 $M_\odot$ (Fontaine et al. 2012) and with a very thin hydrogen envelope (see the review by Heber 2009 for more details on hot subdwarfs). Almost all the envelope was lost near the tip of the RGB. Such strong envelope ejection is explained well in terms of close binary evolution for half of the sdBs that have a close stellar companion, generally an M dwarf or a white dwarf (Han et al. 2002, 2003). But it is more problematic for the other half of apparently single sdB stars. The presence of close and massive planets or brown dwarfs (BDs) is a possible explanation (Soker 1998; Nelemans & Tauris 1998), that seems corroborated by recent calculations (Han et al. 2012).

The first detections of substellar companions to sdB stars started seven years ago, and now we know about thirteen sdB stars with planet/BD candidates belonging to three different groups that are quite distinct in terms of orbital distance and planetary mass. In order of decreasing orbital distance we find: i) eight planet/BD candidates in wide orbits (orbital periods between 3.2 and ~16 yrs), with masses between ~2 and ~40 $M_{\text{Jup}}$ (Silvotti et al. 2007; Lee et al. 2009; Beuermann et al. 2012a,b; Qian et al. 2009, 2012; Lutz 2011; Schuh et al. 2014); ii) two Earth-mass planet candidates around the sdB pulsator KIC 05807616, with orbital periods of 5.8 and 8.2 h (Charpinet et al. 2011a); iii) at least two BD candidates with short orbital periods of a few hours (Geier et al. 2011; Schaffenroth et al. 2014; see also Geier et al. 2012). These three
The planet candidates presented in this paper belong to the second group and closely resemble the planets of KIC 05807616. These two planetary systems show very similar characteristics (both with two or three Earth-size planets very close to the parent star and very hot), suggesting that these extreme planetary systems around sdB stars might not be so rare and implying that planets could indeed play a role during the envelope ejection that is needed to form an sdB star.

The subject of this article has implications in different overlapping fields: sdB evolution, common envelope (CE) ejection mechanisms, survival of a planet to a CE phase, and planetary system evolution in general.

2. Kepler data and ephemerides

With a Kepler magnitude of 15.85, KIC 10001893 is one out of 19 subdwarf B (sdB) pulsators observed by the Kepler spacecraft in its primary mission (Østensen et al. 2010, 2011, 2012; Kawaler et al. 2010a,b; Reed et al. 2010, 2011, 2012; Van Grootel et al. 2010; Baran et al. 2011, 2012; Charpinet et al. 2011b). The spectroscopic atmospheric parameters of KIC 10001893, $T_\text{eff} = 26,700 \pm 300 \, \text{K}$, log $g = 5.30 \pm 0.04$, and log (NHe/NH) = $-2.09 \pm 0.1$ are very compatible with the $g$-mode instability strip (Østensen et al. 2011). The star was observed intensively with the Kepler spacecraft (Borucki et al. 2010) in the framework of the Kepler Asteroseismic Science Consortium (KASC, Gilliland et al. 2010), mostly in short cadence mode (SC, 58.85 s sampling), for 36 monthly runs (period Q3.2, where “Q” stands for quarter, and continuously from Q6 to Q17.2, when the spacecraft lost its second of four gyroscope-like reaction wheels). Moreover, it was observed in long-cadence mode (LC, 29.4 min sampling) for five more months (Q3.1, Q3.3, and Q5). In our analysis we used all the available data, which means 993.8 d of SC data and 147.9 d of LC data. The data were downloaded from the Kepler Asteroseismic Science Operations Center (KASOC) website.

From a preliminary analysis using the photometric data produced by the Kepler pipeline, the Fourier transform shows a rich spectrum with more than one hundred peaks, mostly concentrated between 76 and 441 $\mu$Hz. At the low-frequency end of the amplitude spectrum, our attention was caught by a few peaks at very low frequency below 60 $\mu$Hz, that exceed the mean noise level by about four times (upper panel of Fig. 1). These frequencies are too low to be produced by $g$-mode oscillations considering that the $\ell = 1$ ($\ell = 2$) atmospheric cut-off for the gravity modes is near 60 (105) $\mu$Hz for a star like KIC 10001893 (Hansen et al. 1985; Charpinet et al. 2011a). At lower frequencies, the reflective boundary condition at the surface is no longer valid.

To verify that these low-frequency peaks could be produced by a nearby star located at approximately 8.5 arcsec northeast of KIC 10001893, we decided to use the pixel data that are available at the KASOC website and extract the photometry again for both the target and the close star, thereby optimizing the pixel combinations. The photometric contamination from nearby stars is a serious problem given the Kepler pixel size of about 3.98 arcsec. For the close star we used only one pixel, the one corresponding to the PSF maximum of this star, so that the contribution from KIC 10001893 was reduced to almost zero. For the target we opted for a solution that could, at the same time, minimize the photons from the nearby star and also maximize the signal-to-noise ratio (S/N): after different attempts, we decided to use, in each quarter, the pixel combination that was giving the maximum amplitude to the pulsation frequencies in the Fourier transform. In Fig. 1 the amplitude spectrum of the two stars is shown.

We see very well that the peak at 4 $\mu$Hz and its harmonic near 8 $\mu$Hz are produced by the nearby star (lower panel of Fig. 1). Less clear is the origin of some power near 2 $\mu$Hz instrumental drifts may already have some importance. On the other hand, it is clear from Fig. 1 that the three frequencies $f_1 = 52.68 \mu$Hz, $f_2 = 35.58 \mu$Hz, and $f_3 = 14.26 \mu$Hz, corresponding to the periods $P_1 = 5.27 \, h$, $P_2 = 7.81 \, h$, and $P_3 = 19.48 \, h$, are intrinsic to the sdB star. This conclusion is also confirmed from independent data processing using a model of the pixel response function determined from a combination of the Kepler optical point-spread function and various systematics of the spacecraft, and this helps to avoid contamination from the neighboring stars. When using all the available data, the amplitudes of the three orbital periods have S/Ns of 4.8, 3.5, and 5.0 (Fig. 1). At different amplitude levels, the three peaks are also visible when we consider shorter subsets containing only one third of the data (Fig. 2). In the first subset, the peak at 35.58 $\mu$Hz, which was the faintest one in Fig. 1, reaches a S/N of 5.1 (upper panel of Fig. 2). Most important, the phases of the three peaks are coherent in each independent subset. The phase-folded light curves are shown in Fig. 3, and from the upper panel we note that $P_1$ is very close to four times one of the main pulsation periods of the star.

We have already seen that the low-frequency variations detected cannot be explained in terms of $g$ modes. We add that they do not even correspond to linear combinations of the

![Fig. 1. Fourier transform of KIC 10001893 at low frequency. The three panels show the amplitude spectrum using the standard photometry produced by the Kepler pipeline (top), the pixel photometry obtained optimizing the pixels on the target star (center), and the pixel photometry using only 1 pixel, centered on the nearby star (bottom). The plot demonstrates that the frequency at about 4 $\mu$Hz and its first harmonic are caused by the nearby star, while the three other peaks (marked with tick vertical lines, red in the electronic version) are intrinsic to KIC 10001893. The shaded area at frequency higher than 60 $\mu$Hz (yellow in the electronic version) represents the region of the $g$-mode oscillations.](http://kasoc.phys.au.dk/kasoc/)
pulsation frequencies. Other explanations like surface spots are very unlikely. Spots have never been observed in sdB stars, which have stable radiative envelopes (no convection) and are non-magnetic. Indeed we do not see any signature of a magnetic field in our optical spectra or in the pulsation spectrum. Moreover, sdB stars have relatively long rotational periods, \( P_{\text{ROT}} > 1 \) day from spectroscopy (Geier & Heber 2012), while values up to \( \sim 40 \) days are obtained from pulsation rotational splitting (e.g., Baran et al. 2012). This rules out all (known) alternatives other than orbitally driven modulations. In conclusion, the most convincing explanation for the three low-frequency variations observed in the light curve of KIC 10001893 is the presence of three low-mass bodies orbiting the star in tight orbits.

A strong argument in favor of this interpretation is given by the period ratios \( P_2/P_1 = 1.480 \) and \( P_3/P_2 = 2.495 \), which are very close to the 3:2 and 5:2 resonances. Another interesting aspect is that one of the main pulsation modes of the star, the one at 210.68 \( \mu \)Hz, corresponds to the third harmonic of the orbital frequency of the inner planet (52.68 \( \times \) 4 = 210.72 \( \mu \)Hz), suggesting a tidal resonance (upper panel of Fig. 3). Although tidally excited pulsations have already been observed in other stars (e.g., Hambleton et al. 2013), this is the first time that we have a clear indication of this phenomenon in an sdB star.

Fitting the Kepler data with sinusoidal waves, it is possible to compute the ephemeris of the three planet candidates:

\[
\begin{align*}
\text{BJD}_{1}^{\text{TD}} & = 2 455 093.4293(53) + 0.2197(34)E \\
\text{BJD}_{2}^{\text{TD}} & = 2 455 093.325(44) + 0.3253(59)E \\
\text{BJD}_{3}^{\text{TD}} & = 2 455 093.506(41) + 0.8116(62)E.
\end{align*}
\]

These equations give the times of the maximum flux, when each planet is at the maximum distance from our solar system (phase 0 in Fig. 3). The reference epochs correspond to the first time at phase 0 of the Kepler data. The relatively large errors in Eqs. (1)–(3), obtained from Monte-Carlo simulations, are due to the extremely faint signals. A word of caution is needed about the phases, which are not very reliable. From various tests, we have seen that the phases can change significantly when we change the number of pulsation frequencies included in the fit. The phases reported here were computed using 60 pulsation frequencies with amplitudes greater than 20 ppm.

Unfortunately, despite the very high quality of the Kepler data, it is not possible to confirm the presence of the three planets by an independent method using the same data. All the methods that make use of the Römer delay on pulsation timing – O–C method (Silvotti et al. 2007), light curve fitting (Telting et al. 2012), and orbital aliases in the Fourier domain (Telting et al. 2012; Shibahashi & Kurtz 2012) – require larger orbits. With these short orbital periods, the maximum light-travel time shift is only \( (1.8 \times 10^{-5} \ M_{\text{PE}} \ \sin i) \), \( (2.3 \times 10^{-5} \ M_{\text{PE}} \ \sin i) \), and \( (4.2 \times 10^{-5} \ M_{\text{PE}} \ \sin i) \) seconds (with the planet mass \( M_{\text{PE}} \) in Earth masses, where \( i \) is the inclination of the system with respect to the line of sight). And the amplitude of the first orbital sidelobes at ±2\( \sigma \) from the main pulsation frequency at 274.302 \( \mu \)Hz (which has an amplitude of 0.1%) would be \( (3.0 \times 10^{-5} \ M_{\text{PE}} \ \sin i) \), \( (4.0 \times 10^{-5} \ M_{\text{PE}} \ \sin i) \), and \( (7.3 \times 10^{-5} \ M_{\text{PE}} \ \sin i) \) ppm. These numbers are well below the detection limit of Kepler for any realistic planetary mass.

The maximum coincidence is for \( f_1 = 52.681 \ \mu \)Hz, so relatively close to the difference between two low-amplitude peaks: 204.670–152.018 = 52.652 \( \mu \)Hz (the formal resolution being 0.013 \( \mu \)Hz). However, it would be very surprising that these faint peaks (37 and 67 ppm, respectively) give rise to linear combinations, while no combinations peaks are seen for much stronger pulsation frequencies. On the other hand, \( f_2 = 35.582 \ \mu \)Hz is not very far from 359.680–323.980 = 35.700 \( \mu \)Hz, two high-amplitude peaks (520 and 823 ppm, respectively), but here the difference in frequency is nine times the frequency resolution.

\(^2\) The maximum coincidence is for \( f_1 = 52.681 \ \mu \)Hz, so relatively close to the difference between two low-amplitude peaks: 204.670–152.018 = 52.652 \( \mu \)Hz (the formal resolution being 0.013 \( \mu \)Hz). However, it would be very surprising that these faint peaks (37 and 67 ppm, respectively) give rise to linear combinations, while no combinations peaks are seen for much stronger pulsation frequencies. On the other hand, \( f_2 = 35.582 \ \mu \)Hz is not very far from 359.680–323.980 = 35.700 \( \mu \)Hz, two high-amplitude peaks (520 and 823 ppm, respectively), but here the difference in frequency is nine times the frequency resolution.

\(^3\) The period ratios close to resonances and the relation between \( P_1 \) and one of the main pulsation periods of the star allow to exclude also that the photometric variations that we see are produced by any instrumental effects.
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3. Spectroscopy and radial velocities

KIC 10001893 was observed in 2010, 2011, 2012, and 2013 using the William Herschel, the Nordic Optical, the Multi Mirror, and the 2.1 m San Pedro Martir Telescopes (WHT, NOT, MMT, and UNAM) to measure possible radial velocity (RV) variations (Fig. 4).

The six best RV measurements from the MMT on April 30 and May 1, 2012 are consistent with a constant radial velocity of 0.3 ± 1.6 km s⁻¹. However, a single MMT spectrum taken two months later on June 30 indicates a RV of 12.3 ± 1.3 km s⁻¹. We do not have any reason to think that this last measurement has any problem, because spectra taken on the same night on another target, Feige 48, agree to better than 1 km s⁻¹ with the binary orbit of Feige 48. Unfortunately, we did not have the possibility to observe KIC 10001893 again with MMT in 2012, 2013, or 2014. Our conclusion is that with the RV data that we have we can exclude any RV amplitude larger than about 25 km s⁻¹. Considering only the MMT data (last spectrum included), the amplitude must be at least 6 km s⁻¹. If we associate an RV variation of this amplitude with the longer orbital period that we found in the Kepler data (19.5 h), the minimum mass of the companion (at i = 90°) would be about 17 Jupiter masses, which is enough to make the system dynamically unstable. Thus, if the RV variation is real, we should instead think of a more massive faint (stellar) companion in a wide orbit. A tentative fit of the RV data with a period of about 54 days is shown in Fig. 4.

With the many spectra that we got on KIC 10001893 (including some spectra from the Bok telescope), it was possible to improve the atmospheric parameters of the star. The WHT and NOT spectra were fit using LTE models with solar abundances (Heber et al. 2000), while NLTE models were used to fit the Bok and MMT spectra. Our best estimate is $T_{\text{eff}} = 27,500 ± 500$, log $g = 5.35 ± 0.05$ and log $(N_{N_2}/N_{H_2}) = -2.95 ± 0.04$.

4. An extreme planetary system

In this section we explore the properties of the three low-mass bodies according with the variations observed in the light curve. As discussed by Charpinet et al. (2011a), the light modulation that we see can be caused by the reflected light from the illuminated side of each low-mass companion. The intensity of this effect depends on the Bond albedo $\alpha_B$. Another effect, which can be even more important for very hot stars and very close planets, is the thermal emission from each planet, which is modulated by the temperature difference between the heated day side and the cooler night-side hemisphere, assuming that the rotation of each planet is tidally synchronized to its orbital motion (a likely situation given the short orbital periods). Under the assumption of radiative equilibrium and black-body re-emission, we introduce a second parameter $\beta$, defined as the ratio between the two temperatures. The equilibrium temperatures on the two hemispheres are given by

$$T_{\text{day}} = \left[ \frac{1 - \alpha_B}{2(1 + \beta^2)} \right]^{1/4} (R_\star/a)^{1/2} T_{\text{eff}}$$

$$T_{\text{night}} = \beta T_{\text{day}}$$

where $a = [GM_\star/(4\pi^2)]^{1/3}$ $P_{\text{orb}}^{2/3}$ is the orbital separation (assuming $M_\star \ll M_\odot$), $M_\star$ is the planet mass, $R_\star = (GM_\star/g)^{1/2}$ and $T_{\text{eff}}$ are the radius and the spectroscopic effective temperature of the parent star. The surface gravity $g$ is obtained from spectroscopy, and we assumed a canonical stellar mass $M_\star = 0.47 M_\odot$.

Then we computed the planetary radii and masses as a function of the parameters mentioned above and of the inclination, using the following equations (see Charpinet et al. 2011a, Supplementary Information, for more details):

$$R_p = \left( \frac{A}{\sin i} \right)^{1/2} \left( \frac{\alpha_B}{8\alpha_F^2 + 1} \right) \frac{1}{2R_\star^2} \left[ \frac{F(T_{\text{day}}) - F(T_{\text{night}})}{F(T_{\text{eff}})} \right]^{-1/2}$$

$$F(T) = \int B_i(T) \, e_i^K \, d\lambda$$

$$M_p = \frac{4}{3} \pi R_p^3 \bar{\rho}$$

in which $A$ is the measured (semi-)amplitude of the photometric modulation, $F(T)$ is the black body radiative flux within the Kepler response function $\epsilon_i^K$, $B_i$ is the Planck distribution, and $\bar{\rho}$ is the mean planet density.

Finally we computed the RV amplitude $K$ of the parent star:

$$K = \left( \frac{2\pi G M_\star}{P} \right)^{1/3} \frac{M_p \sin i}{(M_\star + M_p)^{2/3}}$$

The results of our analysis are summarized in Fig. 5. We see that for any reasonable value of $\alpha_B$ and $\beta$ (and for any inclination $i \geq 1$ degree), radii and masses are in the planetary range. Only with a very high albedo and a very small temperature difference between the two hemispheres (isothermal surface) can the radii be larger than the Jupiter radius if the inclination is very low. But these conditions, similar to Venus, would require a dense atmosphere, which is very difficult to imagine in an extremely hot planet in a close orbit that has presumably entered the star envelope in the past. Even in the case of second-generation planets, formed after the RGB phase, it is unlikely that a dense atmosphere can be kept in such extreme conditions. Assuming $\alpha_B = 0.1$ and $\beta = 0.2$, the radii of the planets are smaller than Neptune’s radius for almost any inclination while, for $i > 14°$ ($16°$), planet 1 (2) has a radius smaller than the Earth.

5. Stability of the orbits vs inclination of the system

From preliminary stability computations, assuming circular coplanar orbits, and assuming that the three planets have same mean density, we find that the stability of the orbits becomes critical in relatively short times ($<10^6$ yrs) when $\rho \sin(i)^{-3/2} \gtrsim 1000$ g/cm³. With mean densities of $1.3$, $5.5$, and $13.75$ g/cm³,

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4 The absence of Doppler beaming and ellipsoidal deformation of the sdB star also allow excluding that the photometric variations that we see are caused by a white dwarf companion in a close orbit.
the system is dynamically stable only if the inclination is greater than about 0.7°, 1.8°, and 3.3°, respectively. This constraint may help to understand a peculiar characteristic of the amplitude spectrum of this star, in which we do not see any rotational splitting of the pulsation frequencies (unlike all the other sdB pulsators observed by Kepler). The absence of multiplets may be due to a very low inclination (but higher than 0.7° to 3.3°) and/or to an extremely long rotation period.

6. Discussion

The planetary system described in this paper is a new candidate in the short list of systems with substellar companions in close orbits around evolved stars. Such systems are crucial for studying the survivability of planets during the post-MS evolution of the host star, a question that has attracted some interest over the past few years (Villaver & Livio 2007, 2009; Nordhaus et al. 2010; Passy et al. 2012; Spiegel 2012; Mustill & Villaver 2012; Nordhaus & Spiegel 2013; Villaver et al. 2014). As in the case of KIC 05807616, it is likely that the three planets of KIC 10001893 have lost a significant fraction of their mass during the CE phase. Following Passy et al. (2012), their initial mass, before the plunge-in, was most likely a few Jupiter masses (MJ). Much lower values should be excluded since they would cause the drag energy to be higher than the binding energy and the planet would be destroyed. On the other hand, much higher values should also be excluded since, already at 10 MJ, a companion would not be significantly affected by the iron-rich cores of their Jovian progenitors.
envelope is removed, and the metallic core is disrupted in two or more Earth-size fragments that survive within the gaseous disk and migrate to resonant orbits (3:2 resonance in the case of KIC 05807616; 5:2 and 3:2 for KIC 10001893). According to the same authors, the survival of the planets to the high evaporation rate due to the stellar UV radiation could be guaranteed by a planetary magnetic field ten times as strong as that of the Earth, which would substantially reduce the evaporation rate by holding the ionized gas.

Finally we want to add a few words of caution. Although the most convincing interpretation of the low frequencies detected by Kepler in KIC 10001893 (and KIC 05807616) is the presence of Earth-size close-in planets, we do not consider these data and their analysis adequate to definitively prove that these extreme planetary systems around sdB stars do exist. Rather, we think that these data are enough to seriously pose the question. A final answer to this question will be given when it will be possible to confirm these detections with independent methods (e.g., RVs with PEPSI at LBT) and/or find further planetary systems similar to them. A program to search for planets/planetary remnants close to bright sdB stars has recently been started using Harps-N at TNG (Silvotti et al. 2014).

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